

## NILASAILAINSTITUTEOFSCIENCE&TECHNOLOGY SERGARH-756060, BALASORE (ODISHA) (Approved by AICTE & affiliated to SCTE&VT, Odisha)



## LESSONPLAN

## **SUBJECT:Th1.ENGINEERING MATHEMATICS – III**

## **CHAPTER WISE DISTRIBUTION OF PERIODS**

Sl. No.	Name of the chapter as per the Syllabus	No. of Periods as per the Syllabus	No. of periods actually needed
1	Complex Numbers	6	6
2	Matrices	4	4
3	Differential Equations	10	10
4	Laplace transforms	12	12
5	Fourier Series	12	12
6	Numerical Methods	4	4
7	Finite difference & interpolation		12
	TOTAL	60	60

Discipline:	Semester: 3RD	Name of the Teaching Faculty :SUBASH CHANDRA DASH	
Week	Class Day	Theory/Practical Topics	
<b>1</b> ST	1 <sup>st</sup>	1. Complex Numbers  Real and Imaginary numbers	
	2 <sup>nd</sup>	1.2 Complex numbers, conjugate complex numbers, Modulus and Amplitude of a complex number	
	3 <sup>rd</sup>	Geometrical Representation of Complex Numbers. Properties of Complex Numbers	
	4 <sup>th</sup>	1.5Determination of three cube roots of unity and their properties.	
	1 <sup>st</sup>	1.6 De-Moivre's theorem	
	2 <sup>nd</sup>	1.7 Solve problems on 1·1 -1·6	
2ND	3 <sup>rd</sup>	2. Matrices  Define rank of a matrix.  Perform elementary row transformations to determine the rank of a	
	4 <sup>th</sup>	2.3.State Rouche's theorem for consistency of a system of linear equations in unknowns.	
	<b>1</b> <sup>st</sup>	2.4. Solve equations in three unknowns testing consistency	
	2 <sup>nd</sup>	2.5.Solve problems on 2.1 –2.4	
3RD	3 <sup>rd</sup>	3. Linear Differential Equations  Define Homogeneous and Non–Homogeneous Linear Differential Equations with constant coefficients with examples	
	4 <sup>th</sup>	3.2. Find general solution of linear Differential Equations in terms of C.F. and P.I.	
	1 <sup>st</sup>	3.2.Find general solution of linear Differential Equations in terms of C.F. and P.I.	
4TH	2 <sup>nd</sup>	3.3. Derive rulesforfindingC.F.AndP.I.in terms of operator D, excluding.	
	3 <sup>rd</sup>	3.3. Derive rules for finding C.F.AndP.I.in terms of operator D, excluding.	
	4 <sup>th</sup>	3.4.Definepartial differential equation(P.D.E)	
	1 <sup>st</sup>	3.5.Form partial differential equations by eliminating arbitrary constants and Arbitrary functions	
5TH	2 <sup>nd</sup>	3.5.Form partial differential equations by eliminating arbitrary constants and Arbitrary functions	
	3 <sup>rd</sup>	3.6.Solvepartial differential equations of the form Pp+Qq= R	
	4 <sup>th</sup>	3.7.Solve problems on 3.1- 3.6	
6ТН	1 <sup>st</sup>	4. Laplace Transforms  Define Gamma function and find.	
	2 <sup>nd</sup>	4.2. Define Laplace Transform of a function and Inverse Laplace Transform.	
	3 <sup>rd</sup>	4.2. Define Laplace Transform of a function and Inverse Laplace Transform.	
	4 <sup>th</sup>	4.2. Define Laplace Transform of a function and Inverse Laplace Transform.	
	1 <sup>st</sup>	4.3.Derive L.T. of standard functions and explain existence conditions of L.T.	

7TH	<b>2</b> <sup>nd</sup> 4.3.Derive L.T. of standard functions and explain existence conditions of L.			
	3 <sup>rd</sup>	4.4. Explain linear, shifting property of L.T.		
	4 <sup>th</sup>	4.5. Formulate L.T. of derivatives, integrals, multiplication by and division by.		
8ТН	1 <sup>st</sup>	4.5. Formulate L.T. of derivatives, integrals, multiplication by and division by.		
	2 <sup>nd</sup>	4.6. Derive formulae of inverse L.T. and explain method of partial fractions .		
	3 <sup>rd</sup>	4.6. Derive formulae of inverse L.T. and explain method of partial fractions .		
	4 <sup>th</sup>	4.7.solve problem on 4.1- 4.6		
	1 <sup>st</sup>	5. Fourier Series  Define periodic functions		
9ТН	2 <sup>nd</sup>	5.2.State Dirichlet's condition for the Fourier expansion of a function and it's convergence		
9111	3 <sup>rd</sup>	5.2.State Dirichlet's condition for the Fourier expansion of a function and it's convergence		
	4 <sup>th</sup>	5.2. State Dirichlet's condition for the Fourier expansion of a function and it's convergence		
	1 <sup>st</sup>	5.3. Expressperiodic function F(X) satisfying Dirichlet's conditions as a Fourier series.		
10TH	2 <sup>nd</sup>	5.3.Express periodic function F(X) satisfying Dirichlet's conditions as a Fourier series.		
	3 <sup>rd</sup>	5.4.StateEuler's formulae		
	4 <sup>th</sup>	5.5.Define Even and Odd functions and find Fourier Series in		
	1 <sup>st</sup>	5.5. Define Even and Odd functions and find Fourier Series in		
11TH	2 <sup>nd</sup>	5.6.Obtain F.S of continuous functions and functions having points of discontinuity		
	3 <sup>rd</sup>	5.6.Obtain F.S of continuous functions and functions having points of discontinuity		
	4 <sup>th</sup>	5.7.Solve problems on 5.1 –5.6		
	<b>1</b> <sup>st</sup>	6. Numerical Methods  Apprais elimitation of analytical methods of solution of Algebraic Equations.		
12TH	2 <sup>nd</sup>	Derive Iterative formula for finding the solutions of Algebraic Equations by : Bisection method Newton-Raphson method		
	3 <sup>rd</sup>	Derive Iterative formula for finding the solutions of Algebraic Equations by : Bisection method Newton-Raphson method		
	4 <sup>th</sup>	6.3.solve problems on 6.2		
	1 <sup>st</sup>	7. Finite difference and interpolation  Explain finite difference and form table of forward and backward difference		
13TH	2 <sup>nd</sup>	7.2. Define shift Operator and establish relation between& difference operator.		

	3 <sup>rd</sup>	7.3.Derive Newton's forward and backward interpolation formula for equal intervals
	4 <sup>th</sup>	7.4. State Lagrange's interpretation formula for unequal intervals.
14TH	1 <sup>st</sup>	Explain numerical integration and state: Newton's Cote's formula
	2 <sup>nd</sup>	Newton's Cote's formula
	3 <sup>rd</sup>	7.5.2.Trapezoidalrule
	4 <sup>th</sup>	7.5.2.Trapezoidalrule
15TH	<b>1</b> <sup>st</sup>	7.5.2.Trapezoidalrule
	2 <sup>nd</sup>	7.5.3.Simpson's1/3rdrule
	3 <sup>rd</sup>	7.5.3.Simpson's1/3rdrule
	4 <sup>th</sup>	7.6.Solve problems on 7.1- 7.5